

## Key Vocabulary

<b>Units of Storage</b>	The names given to the measurement units for data. Bit, Nibble, Byte, Kilobyte, Megabyte, Gigabyte, Terabyte, Petabyte.
<b>Number System</b>	A set of rules for displaying numerical values.
<b>Base Number</b>	The value that a number system is built around. Controls the column headings and available digits to show a value.
<b>Binary</b>	Base-2. Column headings: 16, 4, 8, 2, 1 etc. (2x bigger each time). Only uses digits 0 and 1.
<b>Denary</b>	Base-10. Column headings: 1000, 100, 10, 1 etc. (10x bigger every time) Uses digits 0-9.
<b>Hexadecimal (Hex)</b>	Base-16. Column headings: 256, 16, 1 etc. (16x bigger each time). Uses digits 0-9 and A-F.
<b>Use of Binary</b>	Matches the computers On/Off values used to store and send data. Allows us to program computers with machine code.
<b>Use of Denary</b>	Used by humans for maths. Also called the decimal system.
<b>Use of Hexadecimal</b>	Shorthand version of binary. Easier for humans to understand and faster to enter than binary. 4 binary digits converts into 1 hex digit.
<b>Binary Shift</b>	Moving the ones in a binary number to the left or right to multiply or divide it by 2 (one place), 4 (2 places), 8 (3 places) etc.
<b>Overflow Error</b>	Where there is not enough space in memory to store the whole result of a binary calculation, resulting in an incorrect answer.

## Key Objectives

I can convert data from one unit of storage to another.	
I can explain why binary, denary and hexadecimal are used.	
I can convert numbers between binary, denary and hex.	
I can perform a binary shift and explain what happened to the binary value	

## UNITS OF STORAGE

**Convert 5 Megabytes to Kilobytes:**  
 $5 \times 1,000 = 5,000 \text{ KB}$

**Convert 2,000 Kilobytes to Megabytes:**  
 $2,000 / 1,000 = 2 \text{ MB}$

**Convert 1 Gigabyte to Kilobytes:**  
 $1 \times 1,000 \times 1,000 = 1,000,000 \text{ KB}$

**Convert 5,000 Megabytes to Terabytes:**  
 $(5,000 / 1,000) / 1,000 = 0.005 \text{ TB}$

bit	Byte	KB	MB	GB	TB	PB
8,000,000	1,000,000	1,000	1	0.001	0.000001	0.00000001

<b>38</b>	<b>1101</b>	<b>A7</b>
Denary	Binary	Hexadecimal
0	0	0
1	1	1
2	10	2
3	11	3
4	100	4
5	101	5
6	110	6
7	111	7
8	1000	8
9	1001	9
10	1010	A
11	1011	B
12	1100	C
13	1101	D
14	1110	E
15	1111	F

## DENARY AND HEXADECIMAL

Converting the Hex number 5C into Denary:

<b>16</b>	<b>1</b>	←	1. Write Headings
<b>5</b>	<b>C</b>	←	2. Write hex underneath
$5 \times 16 = 80$	$12 \times 1 = 12$	←	3. Multiply each digit by its heading.
$80 + 12 = 92$		←	4. Add results together
<b>Answer = 92</b>			

Converting the Denary number 167 into Hex:

<b>16</b>	<b>1</b>	←	1. Write Headings
<b>A</b>	<b>7</b>		
2. How many whole 16's fit into 167?	3. how many are left over?		
$16 \times 10 = 160$	$167 - 160 = 7$		
<b>(we write A instead of 10)</b>			

## ADDING 2 BINARY NUMBERS TOGETHER

Rules	1 0 1 1 0 0 0 1
0+0=0	0 0 1 1 1 1 0 0 +
0+1=1	1 1 1 0 1 1 0 1
1+1=0 carry 1	1 1
1+1+1=1 carry 1	

Start

## BINARY AND HEXADECIMAL

Using the example 11000110:

1. Convert each hex digit into a group of 4 binary digits.

**1100 0110**

2. Convert each group of 4 binary digits into 1 hex digit.

**B 6**

## BINARY SHIFTS

Start number (binary)	Start number (denary)	Shift to perform	Answer (binary)	Answer (denary)	Effect on the number?
10100100	164	-> 1 place	01010010	82	Divided by 2
01101010	106	<- 1 place	11010100	212	Multiplied by 2
01010000	80	-> 2 places	00010100	20	Divided by 4
00011100	28	<- 2 places	01110000	112	Multiplied by 4